## Package: reservoir (via r-universe)

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#### URL <https://cran.r-project.org/package=reservoir>

Description Measure single-storage water supply system performance using resilience, reliability, and vulnerability metrics; assess storage-yield- reliability relationships; determine no-fail storage with sequent peak analysis; optimize release decisions for water supply, hydropower, and multi-objective reservoirs using deterministic and stochastic dynamic programming; generate inflow replicates using parametric and non-parametric models; evaluate inflow persistence using the Hurst coefficient.

License GPL  $(>= 2)$ 

LazyData yes

Imports gtools, stats, graphics, moments

RoxygenNote 7.1.1

Repository https://critical-infrastructure-systems-lab.r-universe.dev

RemoteUrl https://github.com/critical-infrastructure-systems-lab/reservoir

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## Description

For seasonal streamflow "hindcasts" based solely on persistence.

## Usage

bootcast(Q, H, start\_yr, end\_yr, k, d, sampling\_mode, plot)



#### <span id="page-2-0"></span>critPeriod 3



## Value

Returns the critical drawdown period of the reservoir, giving the shortest time from full to empty by default.

#### Examples

```
# prepare three month ahead forecasts of resX$Q_Mm3 for the period 1995 to 2000...
Q \leq - resX$Q_Mm3
Q_fcast <- bootcast(Q, H = 3, start_yr = 1995, end_yr = 2000)
```
critPeriod *Critical (drawdown) period.*

## Description

For computing the critical period of a reservoir from its storage time series. The critical period is defined as the length of time for the reservoir to go from full to empty (without spilling in between). Input storage should fill and empty at least once for correct calculation of critical period.

#### Usage

```
critPeriod(x, report)
```
#### Arguments



#### Value

Returns the critical drawdown period of the reservoir, giving the shortest time from full to empty by default.

#### 4 dirtyreps

#### Examples

```
storage_behavior <- simRes(Q=resX$Q_Mm3, target = 0.9*mean(resX$Q_Mm3),
                                     capacity=1000, plot=FALSE)$storage
plot(storage_behavior)
## longest critical period
critPeriod(storage_behavior) # or critPeriod(x, "longest")
## shortest critical period
critPeriod(storage_behavior, "shortest")
## average critical period
critPeriod(storage_behavior, "average")
## all critical periods
critPeriod(storage_behavior, "all")
```
<span id="page-3-1"></span>dirtyreps *Quick and dirty stochastic generation of seasonal streamflow replicates for a single site.*

## Description

Generates seasonal time series using either the kNN Bootstrap (non-parametric) or a numericallyfitted PARMA(1,1) (parametric) model. For the parametric model, the function automatically transforms the seasonal sub-series to normal and deseasonalizes prior to model fitting.

#### Usage

```
dirtyreps(Q, reps, years, k, d, adjust, parameters, method = "kNNboot")
```


<span id="page-3-0"></span>

<span id="page-4-0"></span>

Returns a multi time series object containing synthetic streamflow replicates.

#### References

kNN Bootstrap method: Lall, U. and Sharma, A., 1996. A nearest neighbor bootstrap for resampling hydrologic time series. Water Resources Research, 32(3), pp.679-693.

PARMA method: Salas, J.D. and Fernandez, B., 1993. Models for data generation in hydrology: univariate techniques. In Stochastic Hydrology and its Use in Water Resources Systems Simulation and Optimization (pp. 47-73). Springer Netherlands.

#### Examples

```
Q <- resX$Q_Mm3
replicates <- dirtyreps(Q, reps = 3)
mean(replicates); mean(Q)
sd(replicates); sd(Q)
plot(replicates)
```


#### Description

Determines the optimal sequence of releases from the reservoir to minimise a penalty cost function based on water supply defict.

## Usage

```
dp(
  Q,
  capacity,
  target,
  S\_disc = 1000,R\_disc = 10,
  loss\_exp = 2,
  S_initial = 1,
 plot = TRUE,
  rep_rrv = FALSE
)
```
## <span id="page-5-0"></span>Arguments



#### Value

Returns the time series of optimal releases and, if requested, the reliability, resilience and vulnerability of the system.

## References

Loucks, D.P., van Beek, E., Stedinger, J.R., Dijkman, J.P.M. and Villars, M.T. (2005) Water resources systems planning and management: An introduction to methods, models and applications. Unesco publishing, Paris, France.

## See Also

[sdp](#page-17-1) for Stochastic Dynamic Programming

<span id="page-5-1"></span>dp\_hydro *Dynamic Programming for hydropower reservoirs*

## Description

Determines the optimal sequence of turbined releases to maximise the total energy produced by the reservoir.

#### dp\_hydro 7 and 7 a

## Usage

```
dp_hydro(
  Q,
  capacity,
  capacity_live = capacity,
  surface_area,
  evap,
  installed_cap,
  head,
  qmax,
  max_depth,
  efficiency = 0.9,
  S\_disc = 1000,R\_disc = 10,
  S_initial = 1,
  r2g,
  plot = TRUE
\mathcal{L}
```


<span id="page-7-0"></span>

Returns the time series of optimal releases and simulated storage, evaporation, depth, uncontrolled spill, and power generated. Total energy generated is also returned.

## See Also

[sdp\\_hydro](#page-18-1) for Stochastic Dynamic Programming for hydropower reservoirs.

#### Examples

```
layout(1:4)
dp_hydro(resX$Q_Mm3, resX$cap_Mm3, surface_area = resX$A_km2,
installed_cap = resX$Inst_cap_MW, qmax = mean(resX$Q_Mm3), S_disc = 100)
```
<span id="page-7-1"></span>

#### Description

Determines the optimal sequence of releases from the reservoir to minimise a penalty cost function based on water supply, spill, and water level. For water supply:  $Cost[t] = ((target - release[t]) / tar$ get)  $\land$  loss\_exp[1]). For flood control: Cost[t] = (Spill[t] / quantile(Q, spill\_targ))  $\land$  loss\_exp[2]. For amenity:  $Cost[t] = abs(((storage[t] - (vol\_targ * capacity)) / (vol\_targ * capacity))) \land loss\_exp[3].$ 

## Usage

```
dp_multi(
  Q,
  capacity,
  target,
  surface_area,
 max_depth,
  evap,
 R_{max} = 2 * target,spill\_targ = 0.95,
  vol\_targ = 0.75,
  weights = c(0.7, 0.2, 0.1),loss_{exp} = c(2, 2, 2),
```
#### dp\_multi 9

```
S_disc = 1000,R\_disc = 10,
S_initial = 1,
c2g,
plot = TRUE
```
## Arguments

 $\overline{\phantom{a}}$ 



## Value

Returns reservoir simulation output (storage, release, spill), total penalty cost associated with the objective function, and, if requested, the reliability, resilience and vulnerability of the system.

## See Also

[sdp\\_multi](#page-20-1) for Stochastic Dynamic Programming

## Examples

```
layout(1:3)
dp_{\text{multi}}(resX$Q_Mm3, cap = resX$cap_Mm3, target = 0.2 * mean(resX$Q_Mm3), S_disc = 100)
```
<span id="page-9-1"></span>dp\_supply *Dynamic Programming for water supply reservoirs*

## Description

Determines the optimal sequence of releases from the reservoir to minimise a penalty cost function based on water supply defict.

#### Usage

```
dp_supply(
 Q,
 capacity,
  target,
  surface_area,
 max_depth,
 evap,
 S\_disc = 1000,R\_disc = 10,
 loss\_exp = 2,
 S_initial = 1,
 c2g,
 plot = TRUE,
 rep_rrv = FALSE
\lambda
```


<span id="page-9-0"></span>

#### <span id="page-10-0"></span>Hurst 11 and 12 and 12 and 13 and 13 and 13 and 13 and 13 and 13 and 14 and 14 and 15 and 16 and 17 and



## Value

Returns the reservoir simulation output (storage, release, spill), total penalty cost associated with the objective function, and, if requested, the reliability, resilience and vulnerability of the system.

## See Also

[sdp\\_supply](#page-22-1) for Stochastic Dynamic Programming for water supply reservoirs

## Examples

```
layout(1:3)
dp_supply(resX$Q_Mm3, capacity = resX$cap_Mm3, target = 0.3 * mean(resX$Q_Mm3), S_disc = 100)
```
<span id="page-10-1"></span>

Hurst *Hurst coefficient estimation*

## Description

Hurst coefficient estimation.

## Usage

Hurst(Q)

#### <span id="page-11-0"></span>Arguments

Q vector or annualized time series object. Net inflows or streamflow totals.

## Value

Returns an estimate of the Hurst coefficient,  $H (0.5 < H < 1)$ .

## Examples

Q\_annual <- aggregate(resX\$Q\_Mm3) #convert monthly to annual data Hurst(Q\_annual)

keystats *Generate a range of key water supply reservoir variables*

## Description

For quuickly analyzing a range of stats relating to inflows, outflows, storage dynamics and performance.

## Usage

keystats(Q, target, capacity)

#### Arguments



## Value

Returns a wide range of statistics relating to the dynamics and performance of the reservoir.

## Examples

keystats(resX\$Q\_Mm3, target = 50, capacity = resX\$cap\_Mm3)

<span id="page-12-0"></span>reservoir *reservoir: Tools for Analysis, Design, and Operation of Water Supply Storages*

#### **Description**

Measure single reservoir performance using resilience, reliability, and vulnerability metrics; compute storage-yield-reliability relationships; determine no-fail Rippl storage with sequent peak analysis; optimize release decisions for water supply, hydropower, and multi-objective reservoirs using deterministic and stochastic dynamic programming; evaluate inflow characteristics.

#### Analysis and design functions

The [Rippl](#page-15-1) function executes the sequent peak algorithm [Thomas and Burden, 1963] to determine the no-fail storage [Rippl, 1883] for given inflow and release time series. The [storage](#page-31-1) function gives the design storage for a specified time-based reliability and yield. Similarly, the [yield](#page-32-1) function computes the reliability yield given the storage capacity. The [simRes](#page-29-1) function simulates a reservoir under standard operating policy, or using an optimised policy produced by [sdp\\_supply](#page-22-1). The [rrv](#page-16-1) function returns three reliability measures, resilience, and dimensionless vulnerability for given storage, inflow time series, and target release [McMahon et al, 2006]. Users can assume Standard Operating Policy, or can apply the output of  $sdp$  supply to determine the RRV metrics under different operating objectives. The [Hurst](#page-10-1) function estimates the Hurst coefficient [Hurst, 1951] for an annualized inflow time series, using the method proposed by Pfaff [2008].

#### Optimization functions

The Dynamic Programming functions find the optimal sequence of releases for a given reservoir. The Stochastic Dynamic Programming functions find the optimal release policy for a given reservoir, based on storage, within-year time period and, optionally, current-period inflow. For singleobjective water supply reservoirs, users may specify a loss exponent parameter for supply deficits and then optimize reservoir release decisions to minimize summed penalty costs over the operating horizon. This can be done using [dp\\_supply](#page-9-1) or [sdp\\_supply](#page-22-1). There is also an option to simulate the output of [sdp\\_supply](#page-22-1) using the [rrv](#page-16-1) function to validate the policy under alternative inflows or analyze reservoir performance under different operating objectives. The optimal operating policy for hydropower operations can be found using [dp\\_hydro](#page-5-1) or [sdp\\_hydro](#page-18-1). The operating target is to maximise total energy output over the duration of the input time series of inflows. The [dp\\_multi](#page-7-1) and [sdp\\_multi](#page-20-1) functions allow users to optimize for three weighted objectives representing water supply deficit, flood control, and amenity.

#### Storage-depth-area relationships

All reservoir analysis and optimization functions, with the exception of [Rippl](#page-15-1), [storage](#page-31-1), and [yield](#page-32-1), allow the user to account for evaporation losses from the reservoir surface. The package incorporates two storage-depth-area relationships for adjusting the surface area (and therefore evaporation potential) with storage. The simplest is based on the half-pyramid method [Liebe et al, 2005], requiring the user to input the surface area of the reservoir at full capacity via the surface\_area parameter. A more nuanced relationship [Kaveh et al., 2013] is implemeted if the user also provides the maximum depth of the reservoir at full capacity via the max\_depth parameter. Users must use the recommended units when implementing evaporation losses.

#### Stochastic generation of synthetic streamflow replicates

The [dirtyreps](#page-3-1) function provides quick and dirty generation of stochastic streamflow replicates (seasonal input data, such as monthly or quarterly, only). Two methods are available: the nonparametric kNN bootstrap [Lall and Sharma, 1996] and the parametric periodic Autoregressive Moving Average (PARMA). The PARMA is fitted for  $p = 1$  and  $q = 1$ , or PARMA(1,1). Fitting is done numerically by the least-squares method [Salas and Fernandez, 1993]. When using the PARMA model, users do not need to transform or deseasonalize the input data as this is done automatically within the algorithm. The kNN bootstrap is non-parametric, so no intial data preparation is required here either.

#### References

Hurst, H.E. (1951) Long-term storage capacity of reservoirs, Transactions of the American Society of Civil Engineers 116, 770-808.

Kaveh, K., H. Hosseinjanzadeh, and K. Hosseini. (2013) A new equation for calculation of reservoir's area-capacity curves, KSCE Journal of Civil Engineering 17(5), 1149-1156.

Liebe, J., N. Van De Giesen, and Marc Andreini. (2005) Estimation of small reservoir storage capacities in a semi-arid environment: A case study in the Upper East Region of Ghana, Physics and Chemistry of the Earth, 30(6), 448-454.

Loucks, D.P., van Beek, E., Stedinger, J.R., Dijkman, J.P.M. and Villars, M.T. (2005) Water resources systems planning and management: An introduction to methods, models and applications. Unesco publishing, Paris, France.

McMahon, T.A., Adeloye, A.J., Zhou, S.L. (2006) Understanding performance measures of reservoirs, Journal of Hydrology 324 (359-382)

Nicholas E. Graham and Konstantine P. Georgakakos, 2010: Toward Understanding the Value of Climate Information for Multiobjective Reservoir Management under Present and Future Climate and Demand Scenarios. J. Appl. Meteor. Climatol., 49, 557-573.

Pfaff, B. (2008) Analysis of integrated and cointegrated time series with R, Springer, New York. [p.68]

Rippl, W. (1883) The capacity of storage reservoirs for water supply, In Proceedings of the Institute of Civil Engineers, 71, 270-278.

Thomas H.A., Burden R.P. (1963) Operations research in water quality management. Harvard Water Resources Group, Cambridge

kNN Bootstrap method: Lall, U. and Sharma, A. (1996). A nearest neighbor bootstrap for resampling hydrologic time series. Water Resources Research, 32(3), pp.679-693.

PARMA method: Salas, J.D. and Fernandez, B. (1993). Models for data generation in hydrology: univariate techniques. In Stochastic Hydrology and its Use in Water Resources Systems Simulation and Optimization (pp. 47-73). Springer Netherlands.

<span id="page-13-0"></span>

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#### Examples

```
# 1. Express the distribution of Rippl storage for a known inflow process...
layout(1:4)# a) Assume the inflow process follows a lognormal distribution
# (meanlog = 0, sdlog = 1):
x \leftarrow rlnorm(1200)
# b) Convert to a 100-year, monthly time series object beginning Jan 1900
x \leq -ts(x, start = c(1900, 1), frequency = 12)# c) Begin reservoir analysis... e.g., compute the Rippl storage
x_Rippl \leq Rippl(x, target = mean(x) * 0.9)
no_fail_storage <- x_Rippl$Rippl_storage
# d) Resample x and loop the procedure multiple times to get the
# distribution of no-failure storage for the inflow process assuming
# constant release (R) equal to 90 percent of the mean inflow.
no_fail_storage <- vector("numeric", 100)
for (i in 1:length(no_fail_storage)){
  x \leq t s(rlnorm(1200), start = c(1900, 1), frequency = 12)
  no_fail_storage[i] <- Rippl(x, target = mean(x) * 0.9 ,plot = FALSE)$No_fail_storage
}
hist(no_fail_storage)
# 2. Trade off between annual reliability and vulnerability for a given system...
layout(1:1)# a) Define the system: inflow time series, storage, and target release.
inflow_ts <- resX$Q_Mm3
storage_cap <- resX$cap_Mm3
demand \leq -0.3 * mean(resX$Q_Mm3)
# b) define range of loss exponents to control preference of high reliability
# (low loss exponent) or low vulnerability (high loss exponent).
loss_exponents <- c(1.0, 1.5, 2)
# c) set up results table
pareto_results <- data.frame(matrix(ncol = 2, nrow = length(loss_exponents)))
names(pareto_results) <- c("reliability", "vulnerability")
row.names(pareto_results) <- loss_exponents
# d) loop the sdp function through all loss exponents and plot results
for (loss_f in loss_exponents){
sdp_temp <- sdp_supply(inflow_ts, capacity = storage_cap, target = demand, rep_rrv = TRUE,
 S_disc = 100, R_disc = 10, plot = FALSE, loss_exp = loss_f, Markov = TRUE)
pareto_results$reliability[which(row.names(pareto_results)==loss_f)] <- sdp_temp$annual_reliability
pareto_results$vulnerability[which(row.names(pareto_results)==loss_f)] <- sdp_temp$vulnerability
 }
plot (pareto_results$reliability,pareto_results$vulnerability, type = "b", lty = 3)
```
<span id="page-15-0"></span>

## Description

Reservoir X inflow time series and reservoir detail

## Format

list object

## Source

<http://atlas.gwsp.org>

#### References

Lehner, B., R-Liermann, C., Revenga, C., Vorosmarty, C., Fekete, B., Crouzet, P., Doll, P. et al.: High resolution mapping of the world's reservoirs and dams for sustainable river flow management. Frontiers in Ecology and the Environment. Source: GWSP Digital Water Atlas (2008). Map 81: GRanD Database (V1.0).

<span id="page-15-1"></span>

Rippl *Rippl analysis*

## Description

Computes the Rippl no-failure storage for given time series of inflows and releases using the sequent peak algorithm.

#### Usage

```
Rippl(Q, target, R, double_cycle = FALSE, plot = TRUE)
```


<span id="page-16-0"></span>Returns the no-fail storage capacity and corresponding storage behaviour time series.

#### Examples

# define a release vector for a constant release equal to 90 % of the mean inflow no\_fail\_storage <- Rippl(resX\$Q\_Mm3, target = 0.9 \* mean(resX\$Q\_Mm3))\$No\_fail\_storage

<span id="page-16-1"></span>

## Description

Computes time-based, annual, and volumetric reliability, as well as resilience and dimensionless vulnerability for a single reservoir.

#### Usage

rrv(x, target)

## Arguments



#### Value

Returns reliability, resilience and vulnerability metrics based on supply deficits.

## Examples

# Compare reliability, resilience and vulnerability for two operating policies (SOP and SDP).

## Description

Derives the optimal release policy based on storage state, inflow class and within-year period.

## Usage

```
sdp(
 Q,
 capacity,
 target,
 S_disc = 1000,
 R\_disc = 10,
 Q_disc = c(0, 0.2375, 0.475, 0.7125, 0.95, 1),
 loss\_exp = 2,
 S_initial = 1,
 plot = TRUE,
 tol = 0.99,rep_rrv = FALSE
)
```


<span id="page-17-1"></span><span id="page-17-0"></span>

## <span id="page-18-0"></span>sdp\_hydro 19

#### Value

Returns a list that includes: the optimal policy as an array of release decisions dependent on storage state, month/season, and current-period inflow class; the Bellman cost function based on storage state, month/season, and inflow class; the optimized release and storage time series through the training inflow data; the flow discretization (which is required if the output is to be implemented in the rrv function); and, if requested, the reliability, resilience, and vulnerability of the system under the optimized policy.

#### References

Loucks, D.P., van Beek, E., Stedinger, J.R., Dijkman, J.P.M. and Villars, M.T. (2005) Water resources systems planning and management: An introduction to methods, models and applications. Unesco publishing, Paris, France.

Gregory R. Warnes, Ben Bolker and Thomas Lumley (2014). gtools: Various R programming tools. R package version 3.4.1. http://CRAN.R-project.org/package=gtools

#### See Also

[sdp](#page-17-1) for deterministic Dynamic Programming

<span id="page-18-1"></span>sdp\_hydro *Stochastic Dynamic Programming for hydropower reservoirs*

#### Description

Determines the optimal policy of turbined releases to maximise the total energy produced by the reservoir. The policy can be based on season and storage level, or season, storage level, and currentperiod inflow.

#### Usage

```
sdp_hydro(
  Q,
  capacity,
  capacity\_live = capacity,surface_area,
  max_depth,
  evap,
  installed_cap,
  head,
  qmax,
  efficiency = 0.9,
  S_disc = 1000,
  R\_disc = 10,
  Q_disc = c(0, 0.2375, 0.475, 0.7125, 0.95, 1),
  S_initial = 1,
```

```
plot = TRUE,
  tol = 0.99,Markov = FALSE,
  envFlow = FALSE
\overline{\phantom{a}}
```


#### <span id="page-20-0"></span>sdp\_multi 21

## Value

Returns the optimal release policy, associated Bellman function, simulated storage, release, evaporation, depth, uncontrolled spill, and power generated, and total energy generated.

#### See Also

[dp\\_hydro](#page-5-1) for deterministic Dynamic Programming for hydropower reservoirs.

#### Examples

```
layout(1:4)sdp_hydro(resX$Q_Mm3, resX$cap_Mm3, surface_area = resX$A_km2,
installed_cap = resX$Inst_cap_MW, qmax = mean(resX$Q_Mm3))
sdp_hydro(resX$Q_Mm3, resX$cap_Mm3, surface_area = resX$A_km2,
installed_cap = resX$Inst_cap_MW, qmax = mean(resX$Q_Mm3), Markov = TRUE)
```
<span id="page-20-1"></span>sdp\_multi *Stochastic Dynamic Programming with multiple objectives (supply, flood control, amenity)*

#### Description

Determines the optimal sequence of releases from the reservoir to minimise a penalty cost function based on water supply, spill, and water level. For water supply:  $Cost[t] = ((target - release[t]) / tar$ get)  $\triangle$  loss\_exp[1]). For flood control: Cost[t] = (Spill[t] / quantile(Q, spill\_targ))  $\triangle$  loss\_exp[2]. For amenity:  $Cost[t] = abs(((storage[t] - (vol\_targ * capacity)) / (vol\_targ * capacity)))$  ^ loss\_exp[3].

#### Usage

```
sdp_multi(
  Q,
  capacity,
  target,
  surface_area,
 max_depth,
  evap,
 R_{max} = 2 * target,spill\_targ = 0.95,
  vol\_targ = 0.75,
 Markov = FALSE,weights = c(0.7, 0.2, 0.1),
  S_{\text{disc}} = 1000,
 R\_disc = 10,
  Q_disc = c(0, 0.2375, 0.475, 0.7125, 0.95, 1),
  loss\_exp = c(2, 2, 2),
  S_{initial} = 1,
 plot = TRUE,
  tol = 0.99)
```
## Arguments



## Value

Returns a list that includes: the optimal policy as an array of release decisions dependent on storage state, month/season, and current-period inflow class; the Bellman cost function based on storage state, month/season, and inflow class; the optimized release and storage time series through the training inflow data; the flow discretization (which is required if the output is to be implemented in the rrv function); and, if requested, the reliability, resilience, and vulnerability of the system under the optimized policy.

## <span id="page-22-0"></span>sdp\_supply 23

## See Also

[dp\\_multi](#page-7-1) for deterministic Dynamic Programming.

#### Examples

```
layout(1:3)
sdp_multi(resX$Q_Mm3, cap = resX$cap_Mm3, target = 0.2 \times mean(resX$Q_Mm3))
```
<span id="page-22-1"></span>sdp\_supply *Stochastic Dynamic Programming for water supply reservoirs*

## Description

Derives the optimal release policy based on either season and storage level, or season, storage level, and current-period inflow.

## Usage

```
sdp_supply(
 Q,
  capacity,
 target,
 surface_area,
 max_depth,
 evap,
 S_disc = 1000,
 R\_disc = 10,
 Q_disc = c(0, 0.2375, 0.475, 0.7125, 0.95, 1),
 loss\_exp = 2,
 S_initial = 1,
 plot = TRUE,
 tol = 0.99,Markov = FALSE,
 rep_rrv = FALSE
\lambda
```


<span id="page-23-0"></span>

Returns a list that includes: the optimal policy as an array of release decisions dependent on storage state, month/season, and current-period inflow class; the Bellman cost function based on storage state, month/season, and inflow class; the optimized release and storage time series through the training inflow data; the flow discretization (which is required if the output is to be implemented in the rrv function); and, if requested, the reliability, resilience, and vulnerability of the system under the optimized policy.

## See Also

[dp\\_supply](#page-9-1) for deterministic Dynamic Programming for water supply reservoirs

## Examples

```
layout(1:3)sdp_supply(resX$Q_Mm3, capacity = resX$cap_Mm3, target = 0.3 *mean(resX$Q_Mm3))
sdp_supply(resX$Q_Mm3, capacity = resX$cap_Mm3, target = 0.3 *mean(resX$Q_Mm3), Markov = TRUE)
```
<span id="page-24-0"></span>

## Description

For simulating a water supply reservoir operated with rolling horizon, adaptive control (Model Predictive Control).

#### Usage

```
simcast_hydro(
 Q,
  forecast,
  start_yr,
 capacity,
  capacity_live = capacity,
  surface_area,
 max_depth,
 evap,
  installed_cap,
 head,
 qmax,
 efficiency = 0.9,
  S\_disc = 1000,R\_disc = 10,
 Q_disc = c(0, 0.2375, 0.475, 0.7125, 0.95, 1),
 S_initial = 1,
 plot = TRUE
)
```




Returns a list of reservoir variables as time series for the forecast period. Also returns penalty cost during operating period and cost savings relative to operations without forecasts.

## Examples

```
Q <- resX$Q_Mm3
forecastQ <- bootcast(Q, start_yr = 1980, H = 2, plot = FALSE)
layout(1:4)
simQ <- simcast_hydro(Q, forecast = forecastQ, start_yr=1980,
resX$cap_Mm3, surface_area = resX$A_km2, installed_cap = resX$Inst_cap_MW,
head = resX$y_m, S_disc = 200)
```
<span id="page-26-0"></span>

## Description

For simulating a water supply reservoir operated with rolling horizon, adaptive control (Model Predictive Control).

## Usage

```
simcast_multi(
  Q,
  forecast,
  start_yr,
 capacity,
  target,
  surface_area,
 max_depth,
 evap,
 R_{max} = 2 * target,spill\_targ = 0.95,
 vol\_targ = 0.75,
 weights = c(0.7, 0.2, 0.1),S\_disc = 1000,R\_disc = 10,
 Q_disc = c(0, 0.2375, 0.475, 0.7125, 0.95, 1),
 loss_{exp} = c(2, 2, 2),
 S_initial = 1,
 plot = TRUE
)
```




Returns a list of reservoir variables as time series for the forecast period. Also returns penalty cost during operating period and cost savings relative to operations without forecasts.

## Examples

```
Q \leq - resX$Q_Mm3
forecastQ <- bootcast(Q, start_yr = 1980, H = 3, plot = FALSE)
layout(1:3)
simQ <- simcast_multi(Q, resX$cap_Mm3, target = 0.3*mean(Q),
forecast = forecastQ, start_yr=1980, S_disc = 200)
```
<span id="page-28-0"></span>

## Description

For simulating a water supply reservoir operated with rolling horizon, adaptive control (Model Predictive Control).

## Usage

```
simcast_supply(
 Q,
 forecast,
  start_yr,
 capacity,
  target,
  surface_area,
 max_depth,
 evap,
  S\_disc = 1000,R\_disc = 10,
 Q_disc = c(0, 0.2375, 0.475, 0.7125, 0.95, 1),
 loss\_exp = 2,
  S_initial = 1,
 plot = TRUE
)
```


<span id="page-29-0"></span>

Returns a list of reservoir variables as time series for the forecast period. Also returns penalty cost during operating period and cost savings relative to operations without forecasts.

## Examples

```
Q \leq - resX$Q_Mm3
forecastQ <- bootcast(Q, start_yr = 1980, H = 3, plot = FALSE)
layout(1:3)
simQ <- simcast_supply(Q, resX$cap_Mm3, target = 0.3*mean(Q),
forecast = forecastQ, start_yr=1980, S_disc = 200)
```
<span id="page-29-1"></span>simRes *Simulate a water supply reservoir with specified operating policy.*

## Description

Simulates a reservoir for a given inflow time series and assuming Standard Operating Policy (meet target at all times, unless constrained by available water in reservoir plus incoming flows) or an optimised policy deived using [sdp\\_supply](#page-22-1).

#### Usage

```
simRes(
 Q,
  target,
  capacity,
  surface_area,
 max_depth,
```
#### $simRes$  31

```
evap,
 double_cycle = FALSE,
 plot = TRUE,
 S_initial = 1,
 policy
\mathcal{L}
```
## Arguments



## Value

Returns the no-fail storage capacity and corresponding storage behaviour time series.

## Examples

# simulate a reservoir assuming standard operating policy, then compare with SDP-derived policy #trained on historical flows.

```
# DEFINE RESERVOIR SPECS AND MODEL INPUTS
res_cap <- 1500 #Mm3
targ <- 150 #Mm3
area <- 40 #km2
max_d < -40 #m
```
32 storage storage storage storage storage storage storage storage storage storage

```
ev = 0.2 #m
Q_pre1980 <- window(resX$Q_Mm3, end = c(1979, 12), frequency = 12)
Q_post1980 <- window(resX$Q_Mm3, start = c(1980, 1), frequency = 12)
# SIMULATE WITH SOP
layout(1:3)
simSOP <- simRes(Q_post1980, capacity = res_cap, target = targ,
surface_area = area, max_depth = max_d, evap = ev)
# TRAIN SDP POLICY ON HISTORICAL FLOWS
policy_x \leftarrow sdp_suply(Q_pref980, capacity = res_cap, target = targ,surface_area = area, max_depth = max_d, evap = ev, Markov = TRUE, plot = FALSE, S_disc = 100)
# SIMULATE WITH SDP-DERIVED POLICY
simSDP <- simRes(Q_post1980, capacity = res_cap, target = targ,
surface_area = area, max_depth = max_d, evap = ev, policy = policy_x)
```
<span id="page-31-1"></span>storage *Storage-Reliability-Yield (SRY) relationships: Storage computation*

## Description

Returns the required storage for given inflow time series, yield, and target time-based reliability. Assumes standard operating policy. Storage is computed iteratively using the bi-section method.

#### Usage

```
storage(
 Q,
 yield,
 reliability,
 demand_profile,
 plot = TRUE,
 S_initial = 1,
 max_iterations = 50,
 double_cycle = FALSE
)
```


<span id="page-31-0"></span>

#### <span id="page-32-0"></span>yield 33



## Value

Returns the required storage capacity necessary to supply specified yield with specified reliability.

#### Examples

```
# Determine the required storage for 95 % reliability and yield equal to 80 % of the mean inflow.
layout(1:3)
storage(resX$Q_Mm3 * 20, yield = 0.9 * mean(resX$Q_Mm3), reliability = 0.95)
```
<span id="page-32-1"></span>yield *Storage-Reliability-Yield (SRY) relationships: Yield computation*

## Description

Returns the yield for given inflow time series, reservoir capacity, and required time-based reliability. Assumes standard operating policy. Yield is computed iteratively using the bi-section method.

## Usage

```
yield(
  Q,
  capacity,
  reliability,
  demand_profile,
  plot = TRUE,
  S_initial = 1,
 max_iterations = 50,
  double_cycle = FALSE
)
```




Returns yield of a reservoir with specified storage capacity and time-based reliability.

## Examples

```
# Compute yield for 0.95 reliability
layout(1:3)
yield_ResX <- yield(resX$Q_Mm3, capacity = 500, reliability = 0.95)
# Compute yield for quarterly time series with seasonal demand profile
quart_ts <- aggregate(resX$Q_Mm3, nfrequency = 4)
yld <- yield(quart_ts,
```

```
capacity = 500, reliability = 0.9, demand_profile = c(0.8, 1.2, 1.2, 0.8))
```
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